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Payback Calculator for IJ-S2, IJ-S12 (DN32 to DN50) and IJ-S3, IJ-S13 (DN40 to DN200)

This payback calculator provides a method for calculating the payback period based on the energy saving to be made by fitting an insulation jacket type IJ-S2 / S12 to a S2 or S12 separator or IJ-S3 / S13 to a S3 or S13 separator.
The method equates the cost of energy (to be agreed with end user), the cost of the insulation jacket (which may include the cost of installation) and the annual heat loss from the separator (the ambient temperature is to be agreed with the end user).
The annual heat saving is determined from the graph.
Select the ambient temperature value on the x-axis and run a vertical line up to the operating temperature. Then run a horizontal line to the y-axis where the value of annual heat saving can be read.

For example, at an ambient temperature of 15°C and an operating temperature of 185°C the annual heat saving will be 15.5 GJ / year.

The payback period can be calculated using the following equations:

for DN32 - 40 (S2/S12) $P = \frac{J}{1\ SE}$

for DN40 (S3/S13) $P = \frac{J}{1.65\ SE}$

for DN50 (S2/S12) $P = \frac{J}{2.15\ SE}$

for DN50 (S3/S13) $P = \frac{J}{2.43\ SE}$

for DN65 (S3/S13) $P = \frac{J}{3.43\ SE}$

for DN80 (S3/S13) $P = \frac{J}{3.86\ SE}$

for DN100 (S3/S13) $P = \frac{J}{6.49\ SE}$

for DN125/150 (S3/S13) $P = \frac{J}{8.13\ SE}$

for DN200 (S3/S13) $P = \frac{J}{11.53\ SE}$

Where:-

S	=	Annual heat saving from graph	GJ
J	=	Cost of insulation jacket	£
E	=	Cost of energy	£ / GJ
P	=	Payback period	year

The equations are valid providing E and S are in the same units of energy and E and J are in the same units of currency.

Conversion factors

1 GJ = 1000 MJ

1 GJ = 9.48 x 10^5 BTU

Example 1

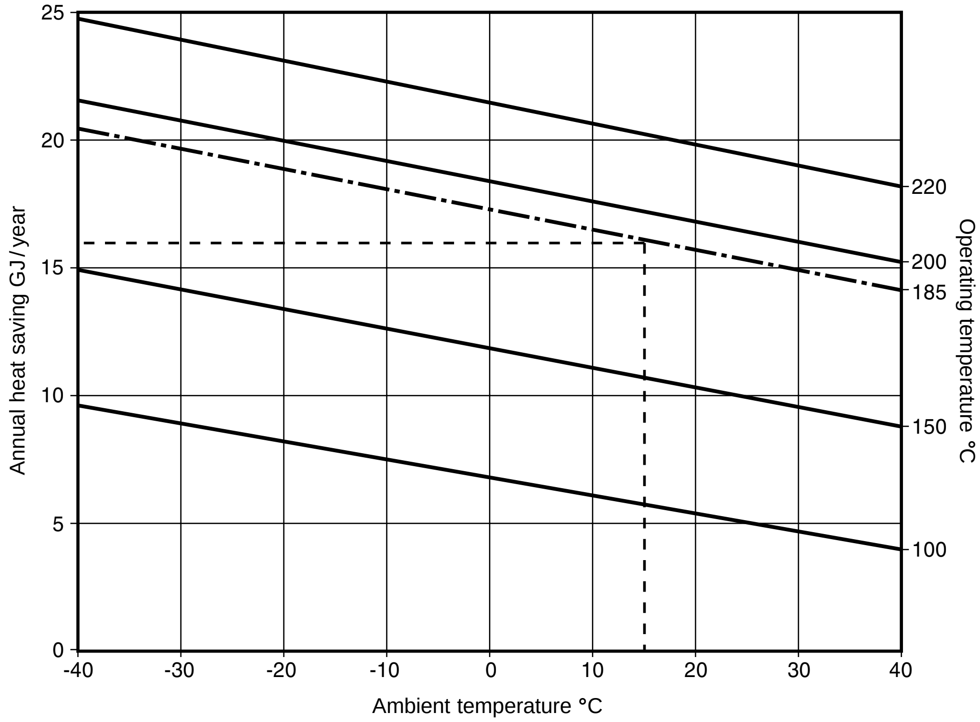
Consider a DN50 operating at 10 bar g, 185°C with an ambient temperature of 15°C.
From the graph below the annual heat saving, S, is 15.5 GJ / year.
The cost of insulation jacket, J, including installation is assumed to be £130

Customer informs us that cost of energy, E, is £5 / GJ

Hence:- $P = \frac{J}{2.15\ SE} = \frac{130}{2.15 \times 15.5 \times 5} = 0.78$ years

Note: The table overleaf gives exact values used to plot this graph.

Intermediate temperatures may be obtained by linear interpolation.



Local regulations may restrict the use of this product to below the conditions quoted.
In the interests of development and improvement of the product, we reserve the right to change the specification.

Annual heat saving in GJ per year versus temperature for various steam temperatures

These values are those used to plot the graph on the previous page

Ambient temperature	**Steam temperature**			
	100°C	**150°C**	**200°C**	**250°C**
-40°C	9.616 4	14.922 0	21.554 0	24.750 0
-35°C	9.119 0	14.424 6	21.056 6	24.325 0
-30°C	8.787 4	14.093 0	20.559 2	23.864 0
-25°C	8.455 8	13.761 4	20.227 6	23.460 0
-20°C	8.124 2	13.429 8	19.896 0	23.068 0
-15°C	7.792 6	12.932 4	19.896 0	22.630 0
-10°C	7.461 0	12.600 8	19.398 6	22.273 0
-5°C	7.129 4	12.269 2	19.067 0	21.856 0
0°C	6.632 0	11.771 8	18.569 6	21.477 0
5°C	6.300 4	11.440 2	18.238 0	21.000 0
10°C	5.968 8	11.108 6	17.740 6	20.659 0
15°C	5.637 2	10.611 2	17.409 0	20.247 0
20°C	5.305 6	10.250 0	16.994 5	19.886 0
25°C	4.974 0	9.948 0	16.580 0	19.420 0
30°C	4.642 4	9.450 6	16.082 6	18.977 0
35°C	4.310 8	9.119 0	15.751 0	18.564 0
40°C	3.979 2	8.787 4	14.922 0	18.181 8

Certain assumptions have been made to compile this data:

1. Still air conditions.
2. All heat loss is by radiation.
3. Surface metal temperature is equal to operating temperature.
4. 8 760 hours operation per year.
5. Figures relate to screwed separator body.

Effect of wind speed

The following table gives the approximate effect of air movement.

Wind speed km/h	**Additional heat saving**
11	16%
22	116%
33	156%
55	218%

Example 2

Example 1 provided a payback for still air conditions.
If the average wind speed was 22 km/h then the
annual heat saving, G, becomes 15.5 x 2.16 = 33.5 GJ/year

Hence:- $P = \frac{130}{2.15 \times 33.5 \times 5} = 0.36$ years